

# Gradient Boosted Decision Tree for Particle Identification at BM@N

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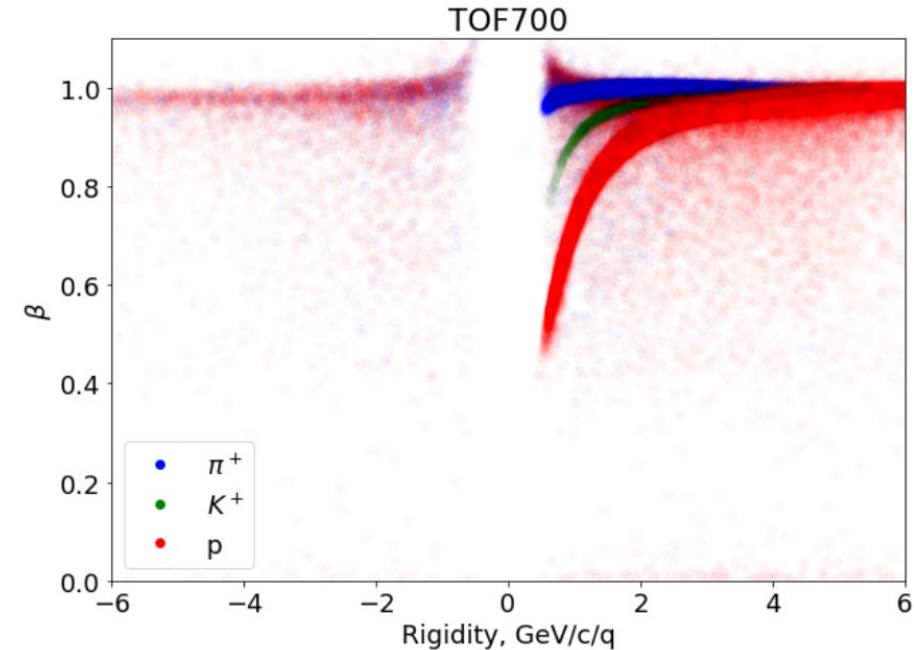
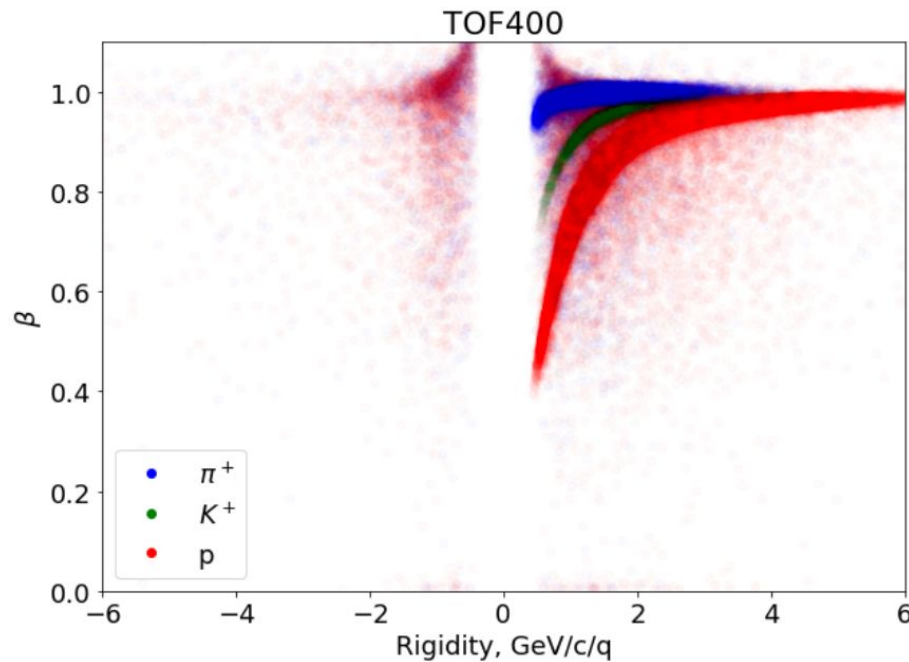
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# Particle Identification at BM@N experiment

BM@N particle identification (PID) is based on two **Time-of-Flight** (TOF400 and TOF700) chambers

A ToF measures the particle flight **time** ( $t$ ) over a given **distance** ( $L$ ) along the track trajectory;

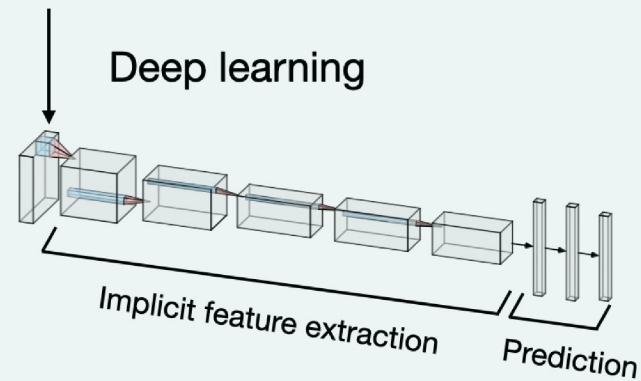
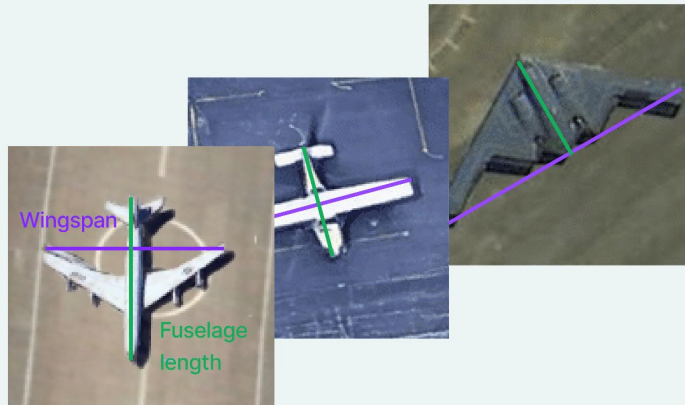
$$\beta = \frac{L}{ct}$$



Knowing the particle flight **time** one obtains the **relative velocity** and thus identity of the particle.

# Tabular Data: Deep Learning vs Gradient Boosting

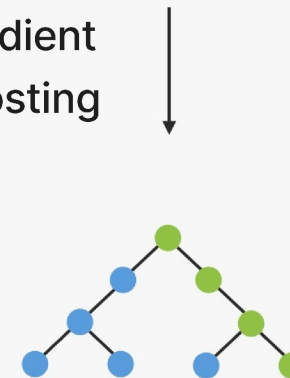
## Unstructured data



## Structured data

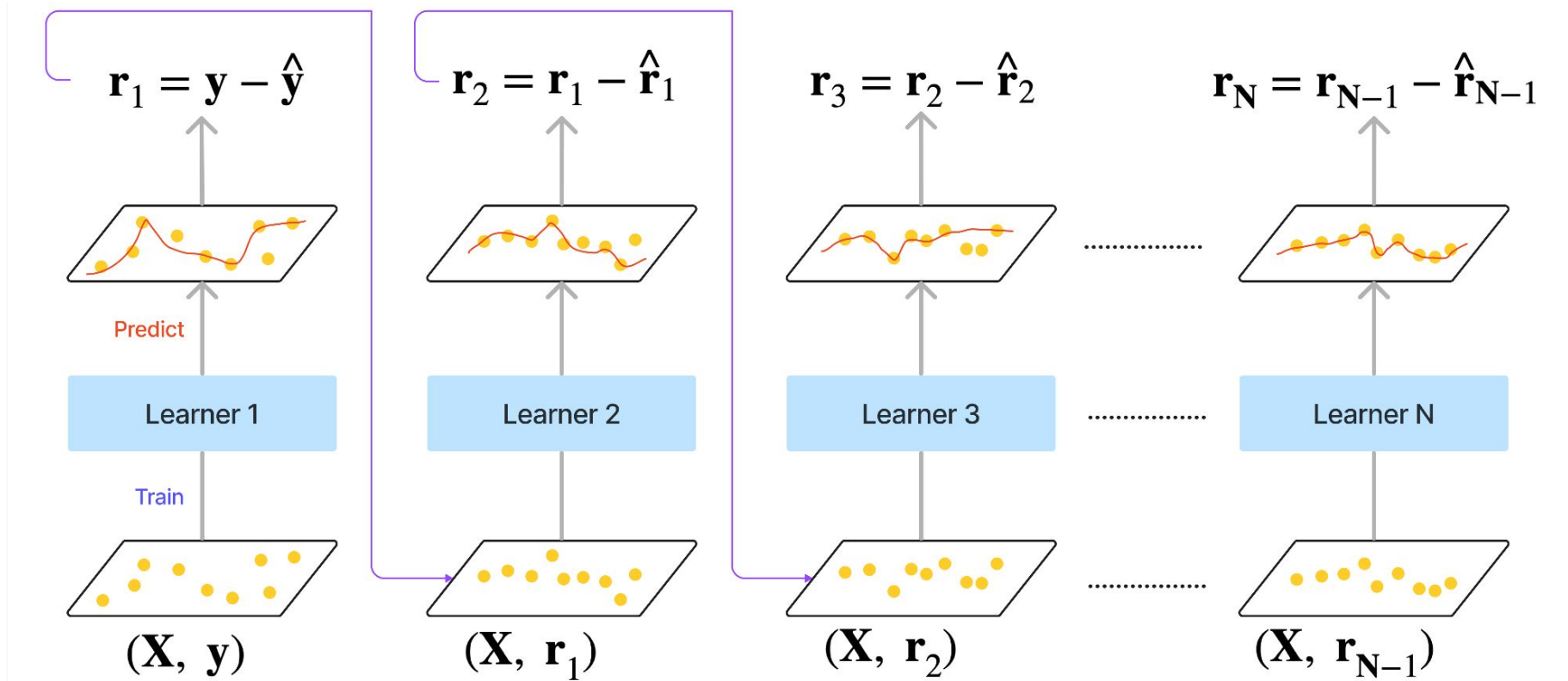
	Fuselage length	Wingspan
Boeing 707	44,07	39,9
Cessna 172	8,28	11
B-2 Spirit	20,90	52,12

Gradient Boosting



# Gradient Boosting

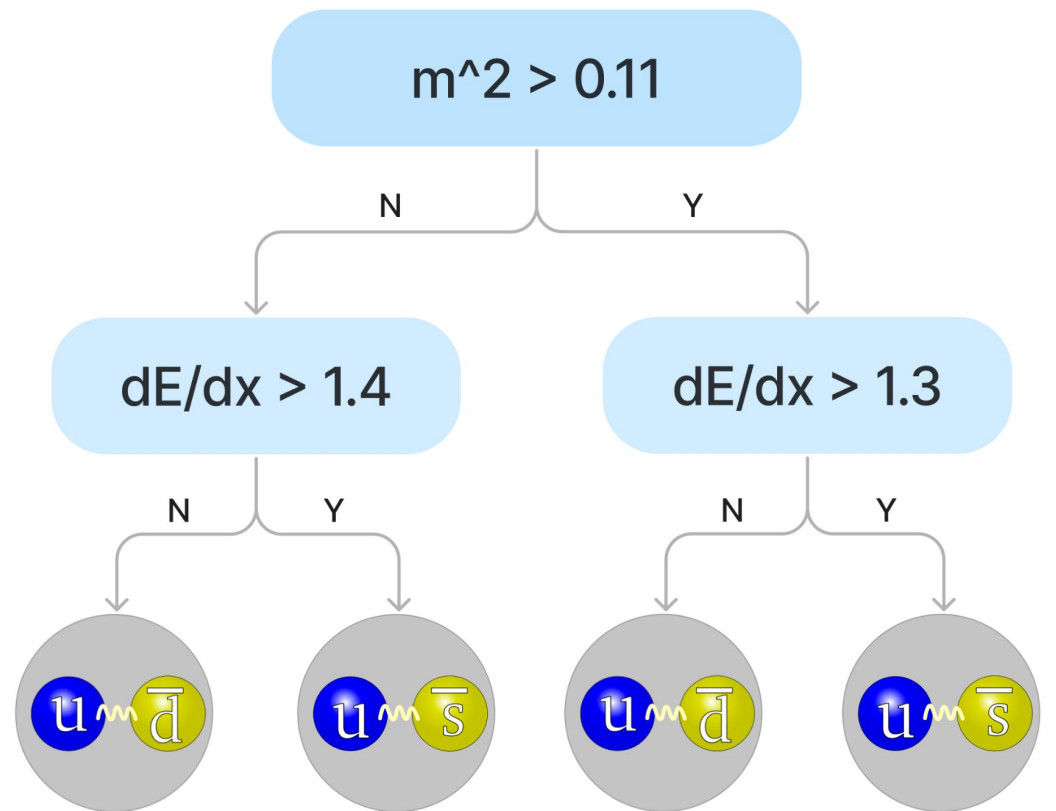
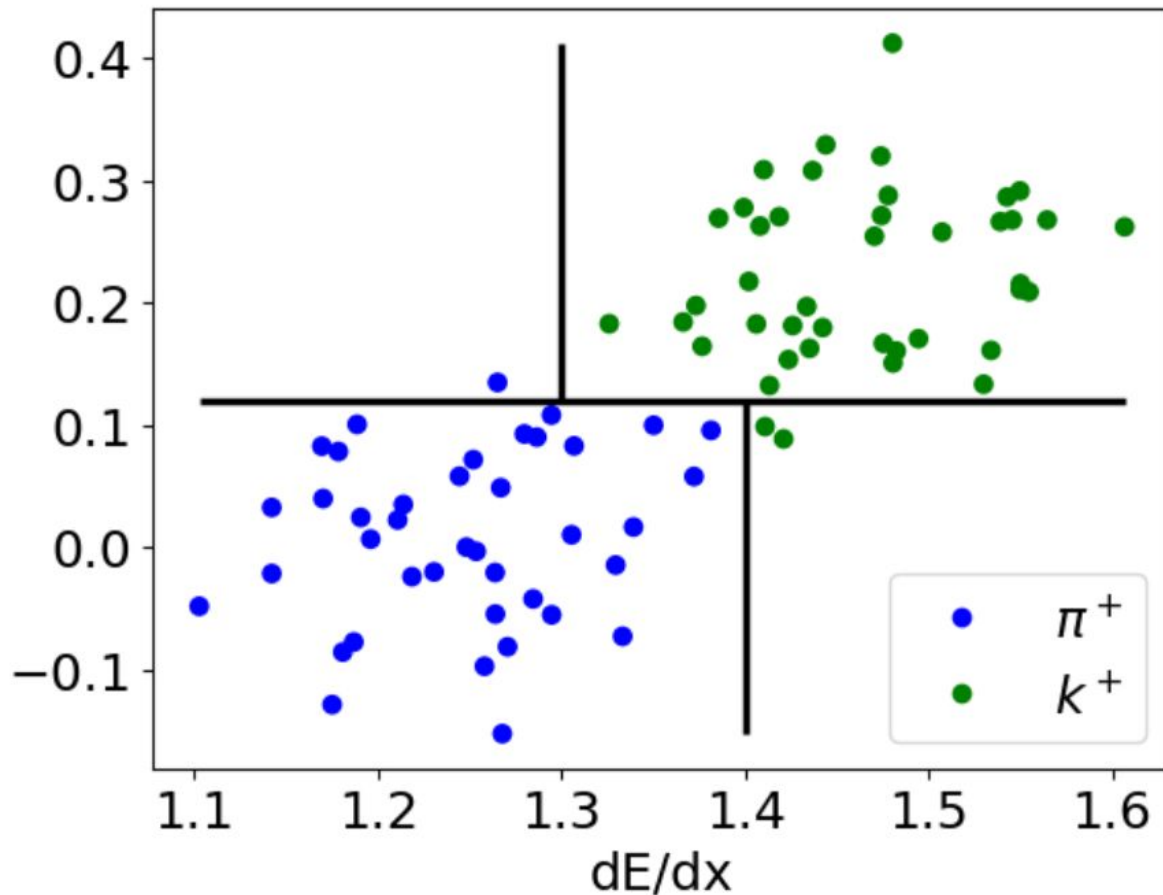
**Gradient boosting** is a machine learning technique which combines weak learners into a single strong learner in an iterative fashion



$$F(\mathbf{X}) = \sum_{n=1}^N \gamma_n l_n(\mathbf{X})$$

# Gradient Boosted Decision Tree

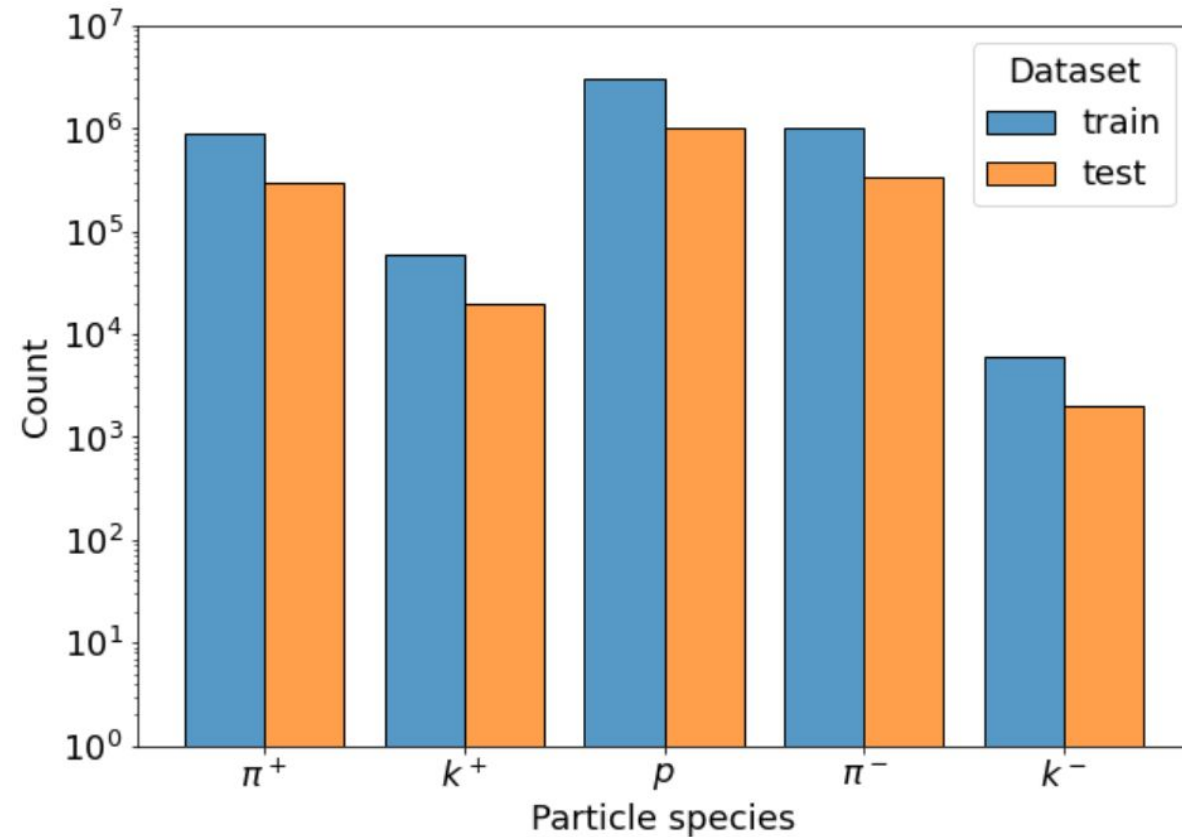
**Gradient Boosted Decision Tree (GBDT)** uses decision trees as weak learner. They can be considered as automated multilevel **cut-based** analysis



# Dataset

Subsample of the Monte-Carlo production has been used

<b>Event generator</b>	DCM-SMM
<b>Colliding system</b>	Xe+Csl
<b>Energy</b>	3.9 A GeV

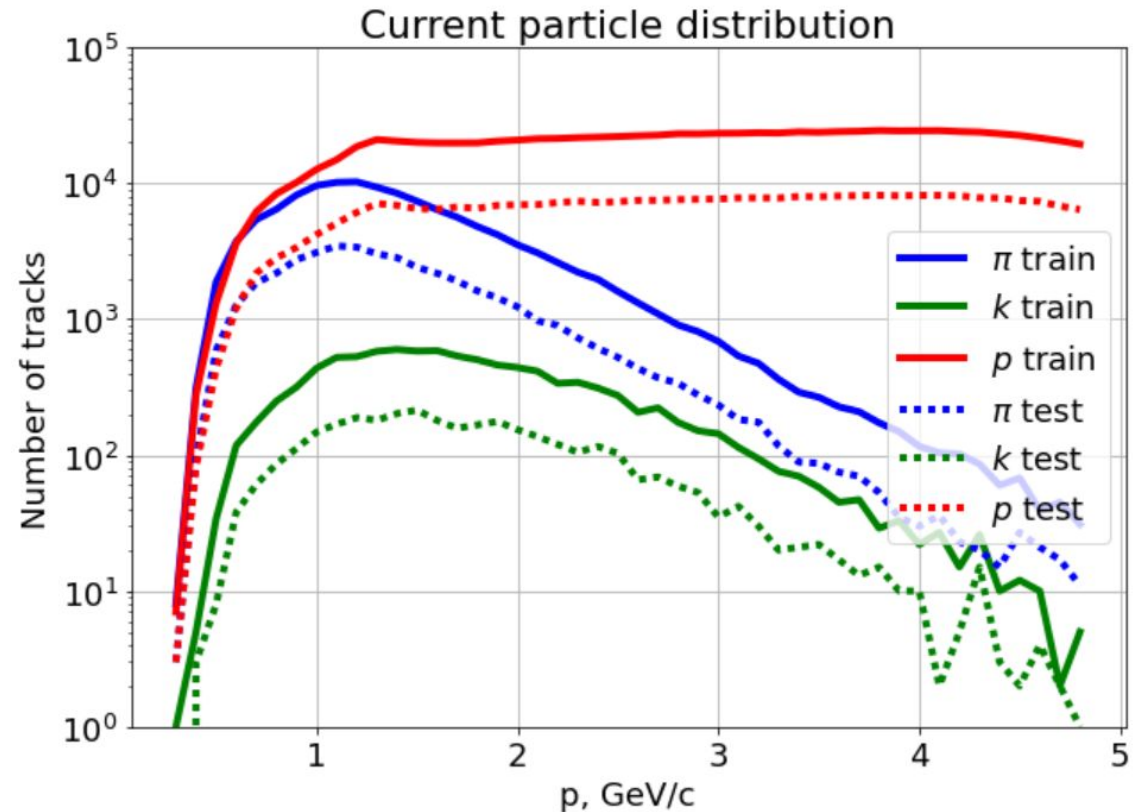
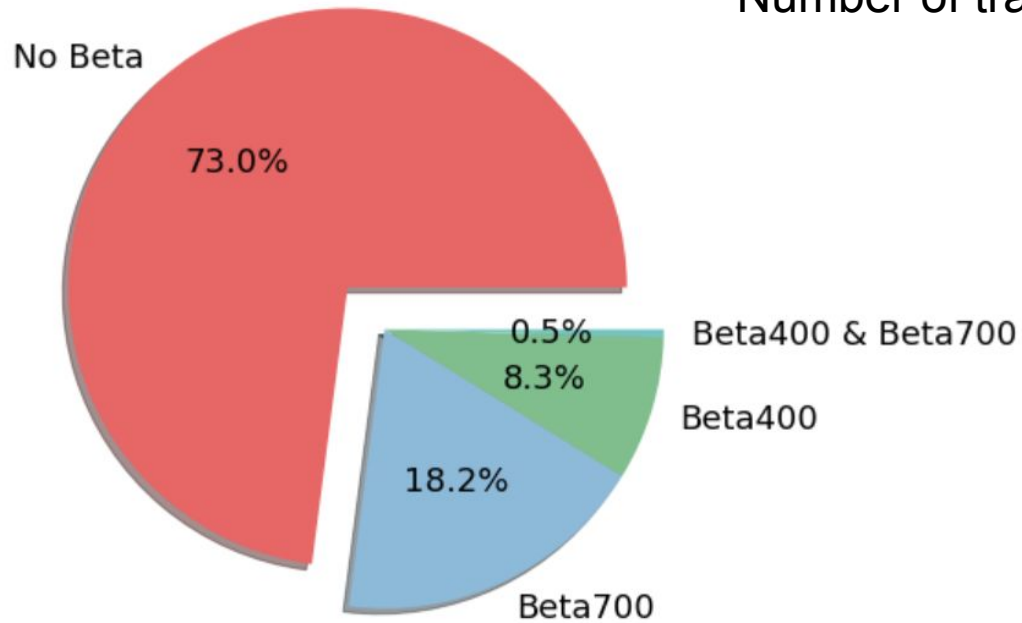


**track selection criteria** are default within BM@N reconstruction

# Feature vectors by Beta

Number of tracks: around **5M**

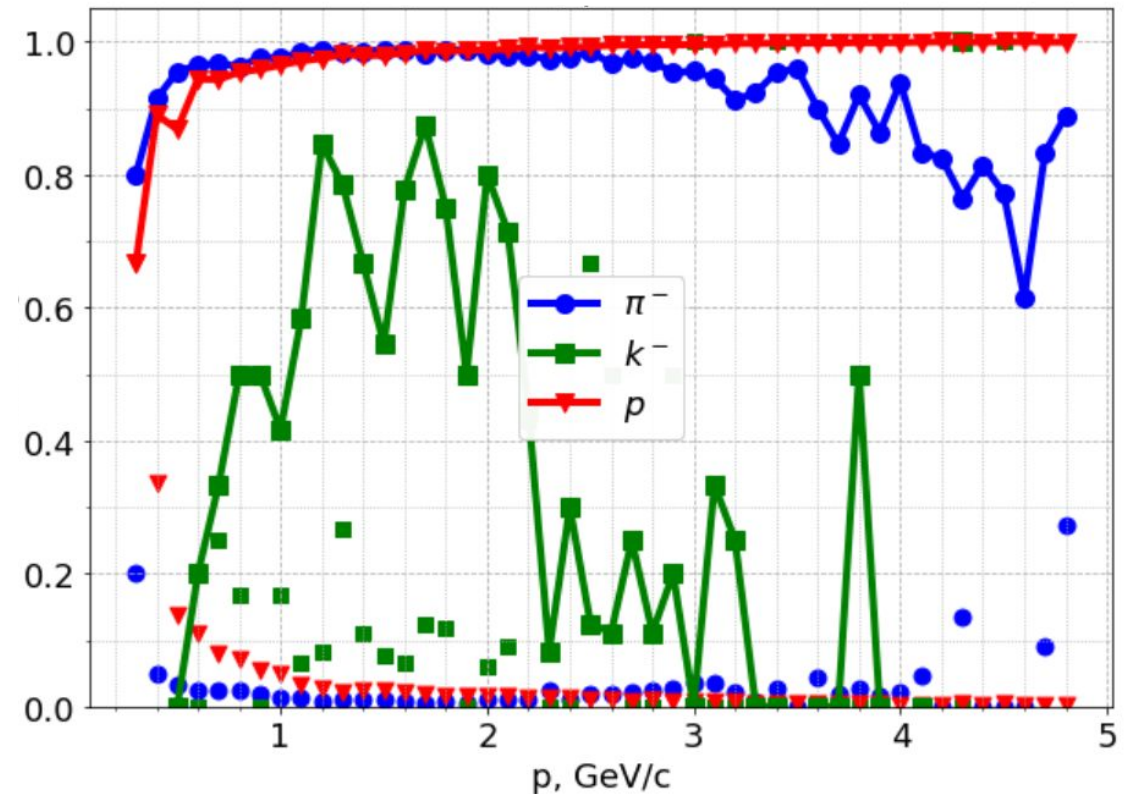
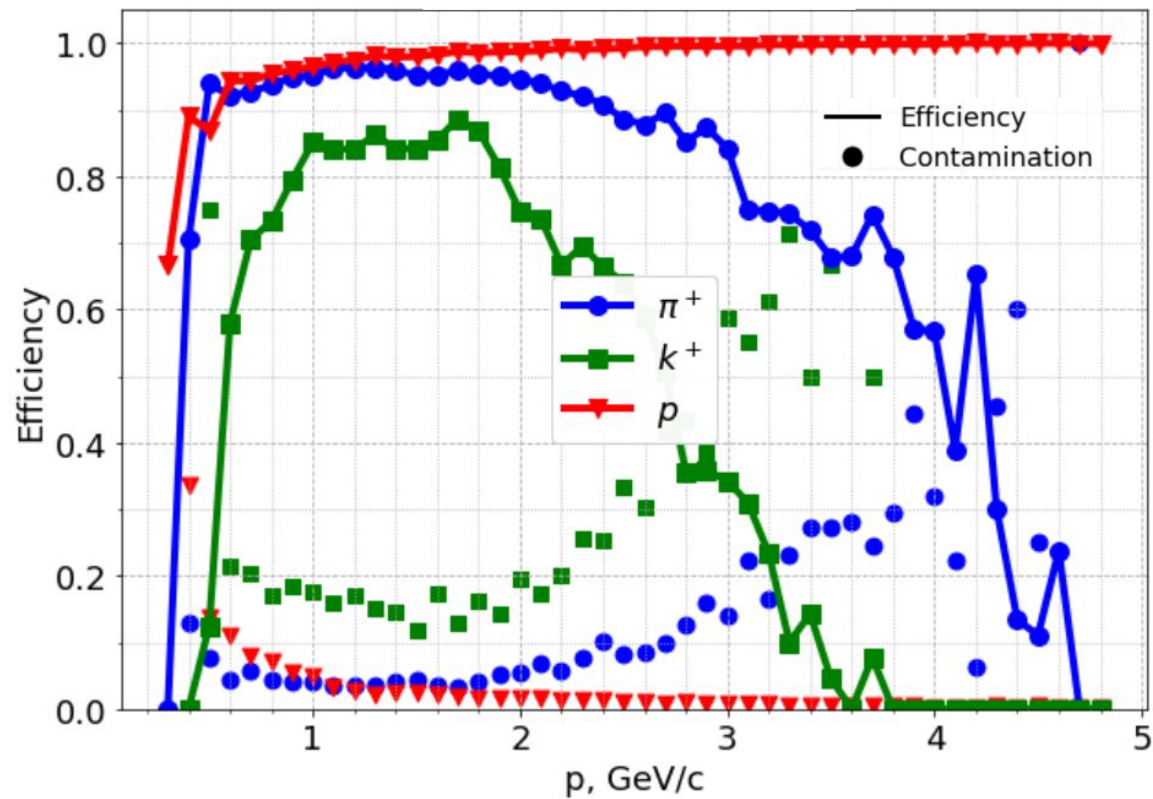
Number of tracks with at least one ToF: approx. **1.3M** (27%)



# Preliminary results

$$E^S = \frac{N^S_{corr}}{N^S_{true}}$$

$$C^S = \frac{N^S_{incorr}}{N^S_{corr} + N^S_{incorr}}$$

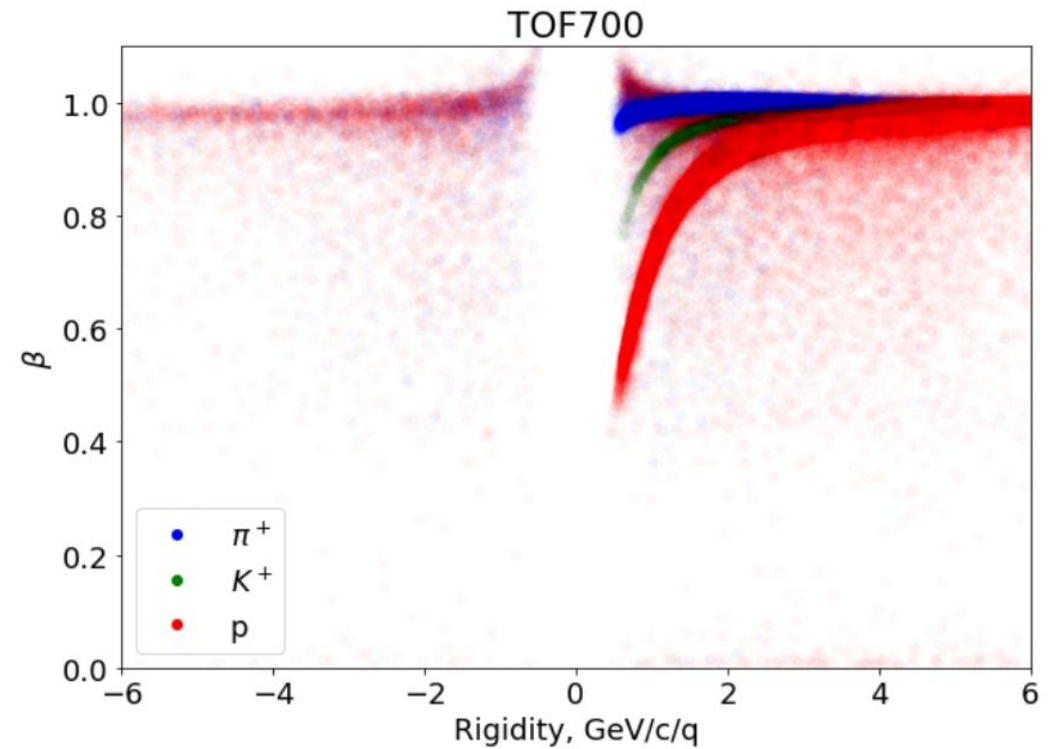
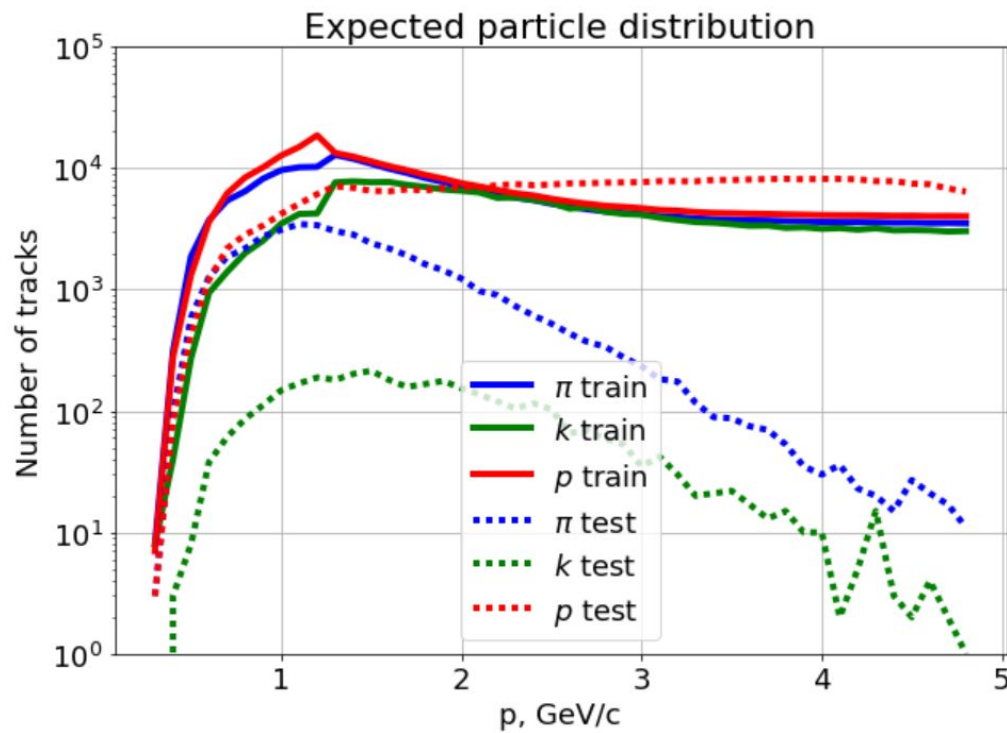


$$E_{total} = 98.3\%$$



# Class imbalance problem

Next we are going to investigate the class imbalance problem



# Backup

# Classification of Charged Particles

In Machine Learning terms PID can be considered as **classification** task (**Supervised** learning).

Let

**X** - is the input space (particle characteristics such as:  $dE/dx$ ,  $m^2$ ,  $\beta$ ,  $q$ , etc)

**Y** - is the output space (particle species such as:  $\pi$ ,  $k$ ,  $p$ , etc)

**Unknown** mapping exists

$$m : X \rightarrow Y,$$

for values which known only on objects from the finite training set

$$X^n = (x_1, y_1), \dots, (x_n, y_n),$$

Goal is to find an algorithm **a** that classifies an arbitrary new object  $x \in X$

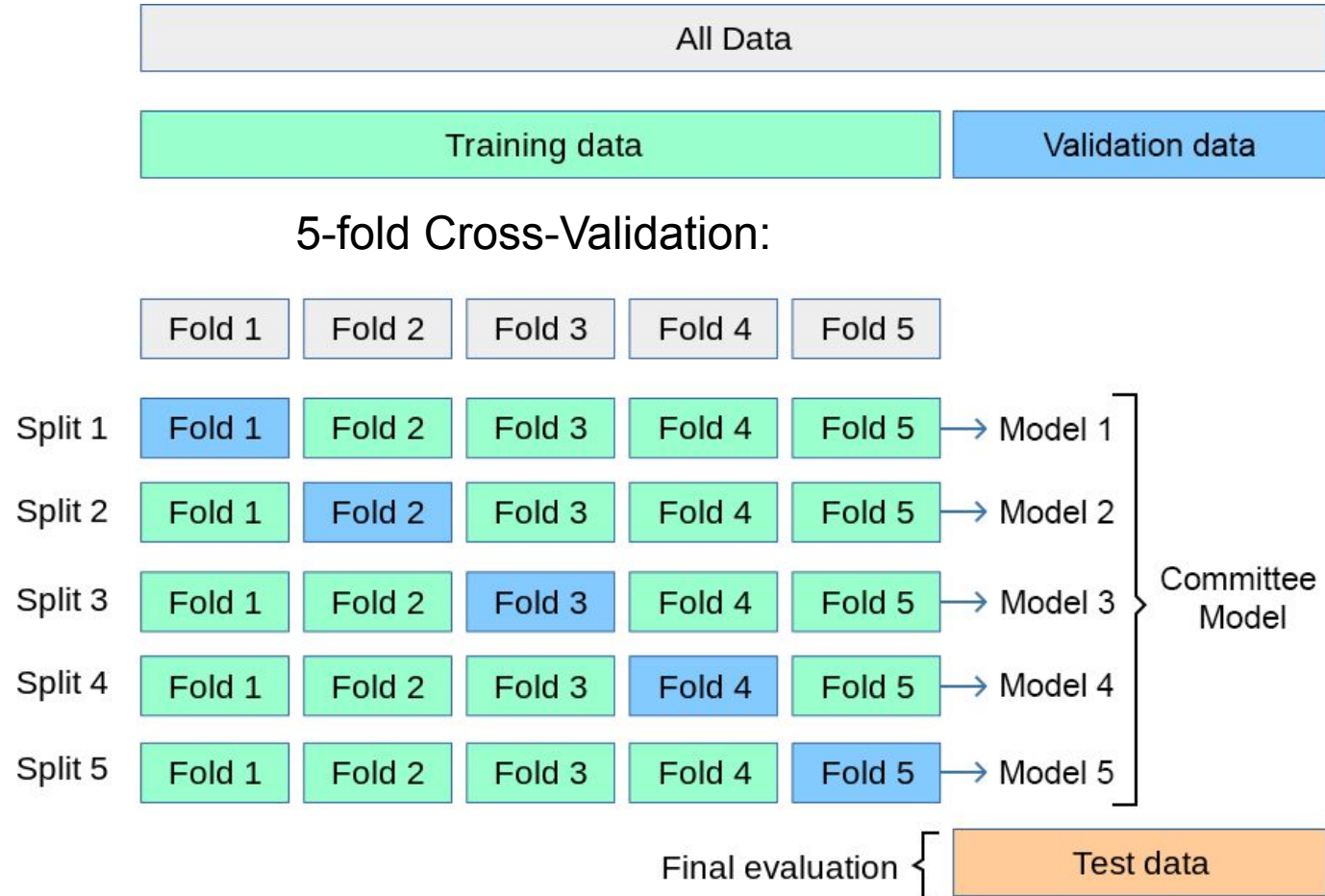
$$a : X \rightarrow Y.$$

# Formulas

$$m^2 = \frac{p^2}{c^2} \left[ \frac{t^2 c^2}{L^2} - 1 \right] \quad \beta = \frac{L}{ct}$$

$$- \left( \frac{dT}{dx} \right) = \frac{4\pi n_e z^2 e^4}{m_e v^2} \left[ \ln \frac{2m_e v^2}{I} - \ln(1 - \beta^2) - \beta^2 - \delta - U \right],$$

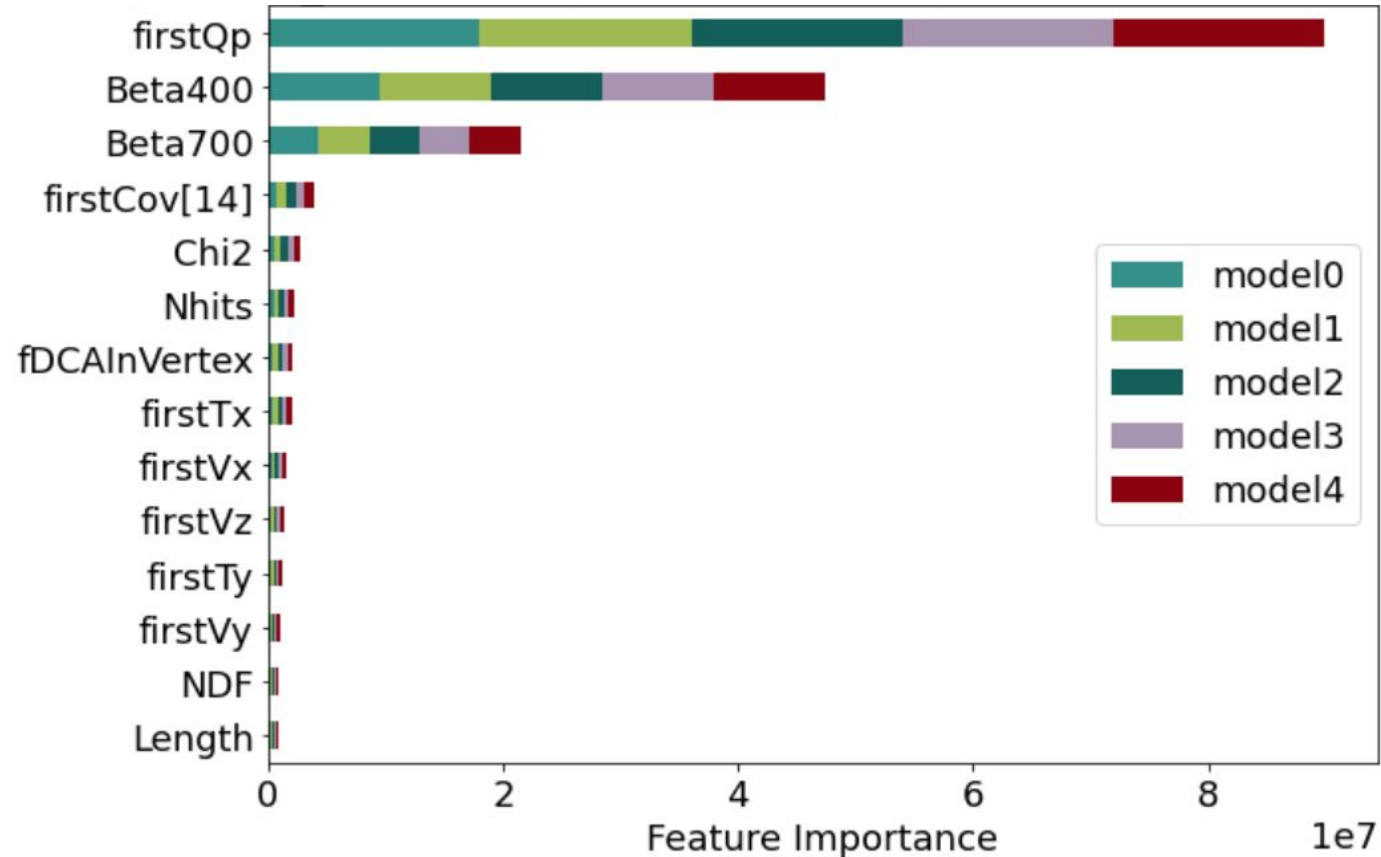
# Experiment design



All classifiers have been trained using the Nvidia Tesla V100-SXM2 NVLink 32GB HBM2 within the ecosystem for tasks of machine learning, deep learning, and data analysis at **HybriLIT** platform

# XGBoost Model Interpretation. Feature Importance

**Importance type** can be defined as the total gain across all splits the feature is used in



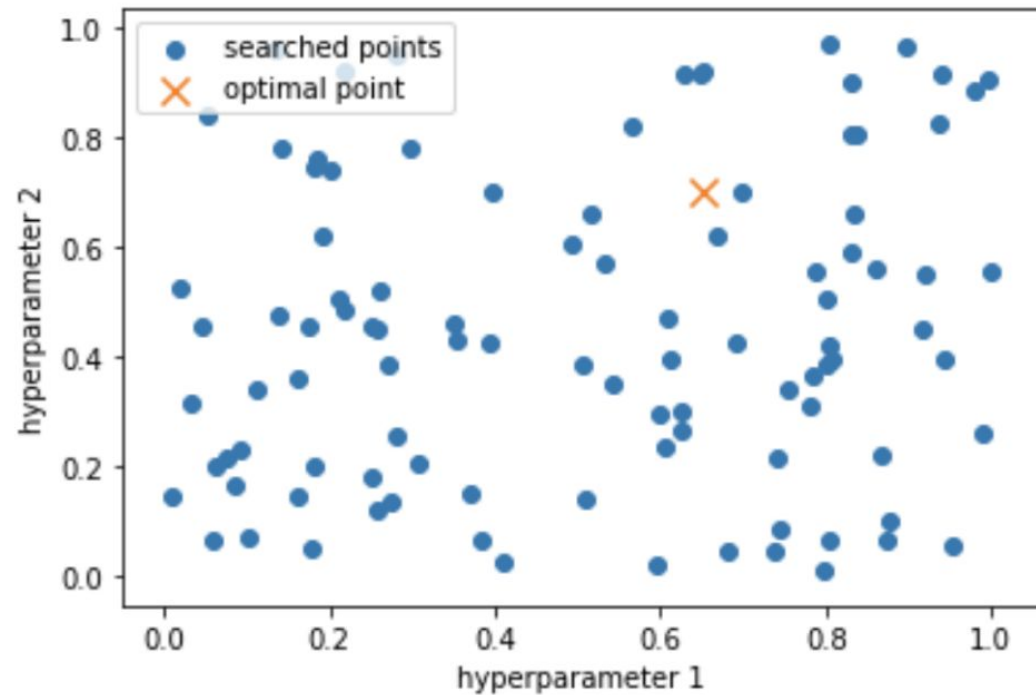
This approach are sensitive when input variables are correlated, and may lead for instance to unreliability in the importance ranking

# Hyperparameters tuning

Tree-structured Parzen Estimator (TPE) was used to find the optimal hyperparameters;

TPE is a form of Bayesian Optimization.

Random search



TPE search

